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18BIS0043

ECE-1018: Lab

Assessment - 4

1 Graphing convolution of 2 continuous time signals

$$y(t) = \text{tri}(t) * \text{tri}(t)$$

2

$$a] \quad y[n] = u[n] * u[n]$$

$$b] \quad y[n] = u[n+2] * \text{rect}_3[n]$$

$$c] \quad y[n] = \text{rect}_2[n] * \text{rect}_2[n]$$

$$d] \quad y[n] = \text{rect}_2[n] * \text{rect}_4[n]$$

$$e] \quad y[n] = 2\text{rect}_4[n] * (7/8)nu[n]$$

$$f] \quad y[n] = \text{rect}_3[n] * \delta_{14}[n]$$

$$g] \quad y[n] = \text{rect}_1[n] * \sin(2n\pi/9)$$

$$h] \quad y[n] = \text{rect}_2[n] * \sin(2n\pi/9)$$

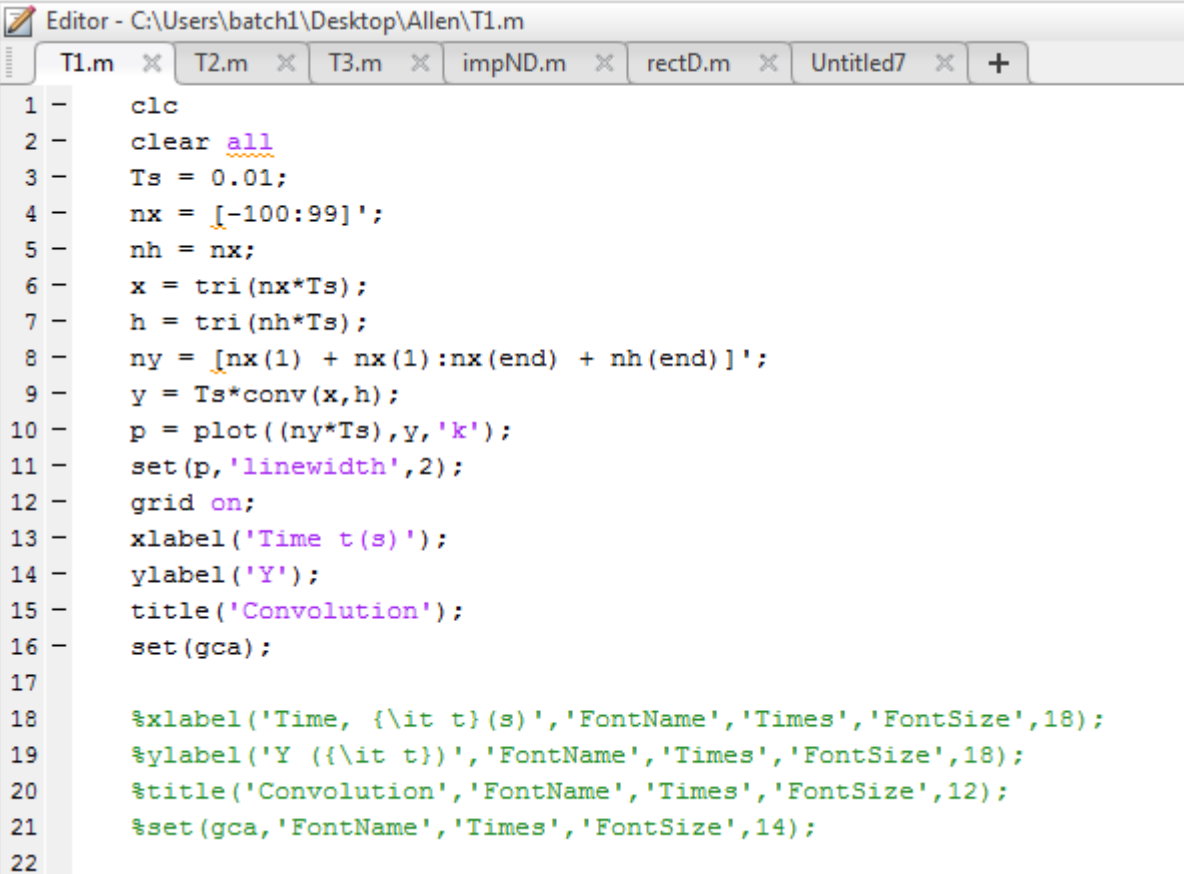
$$i] \quad y[n] = \text{rect}_4[n] * \sin(2n\pi/9)$$

$$j] \quad y[n] = 2\cos(2n\pi/7) * (7/8)nu[n]$$

and comment on observations

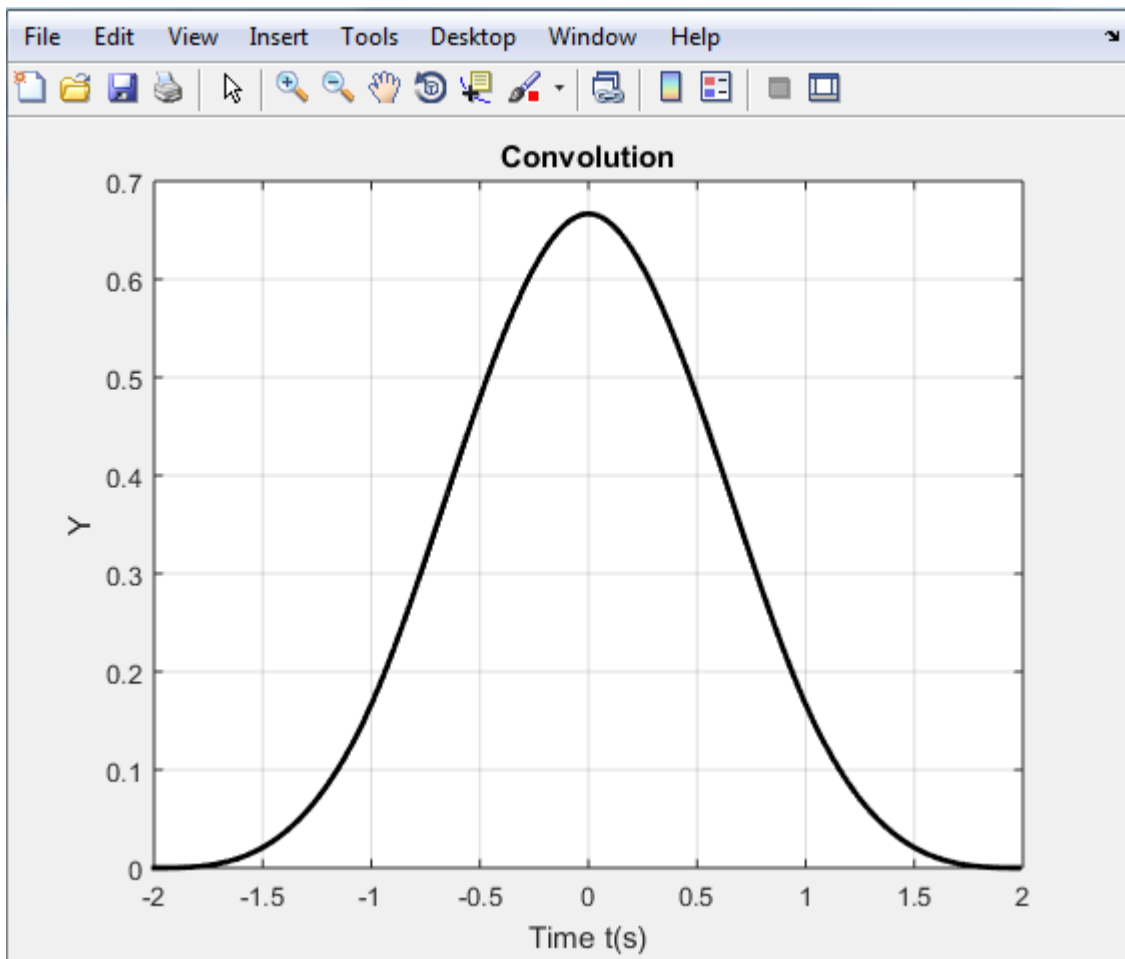
# Assessment - 4

1.



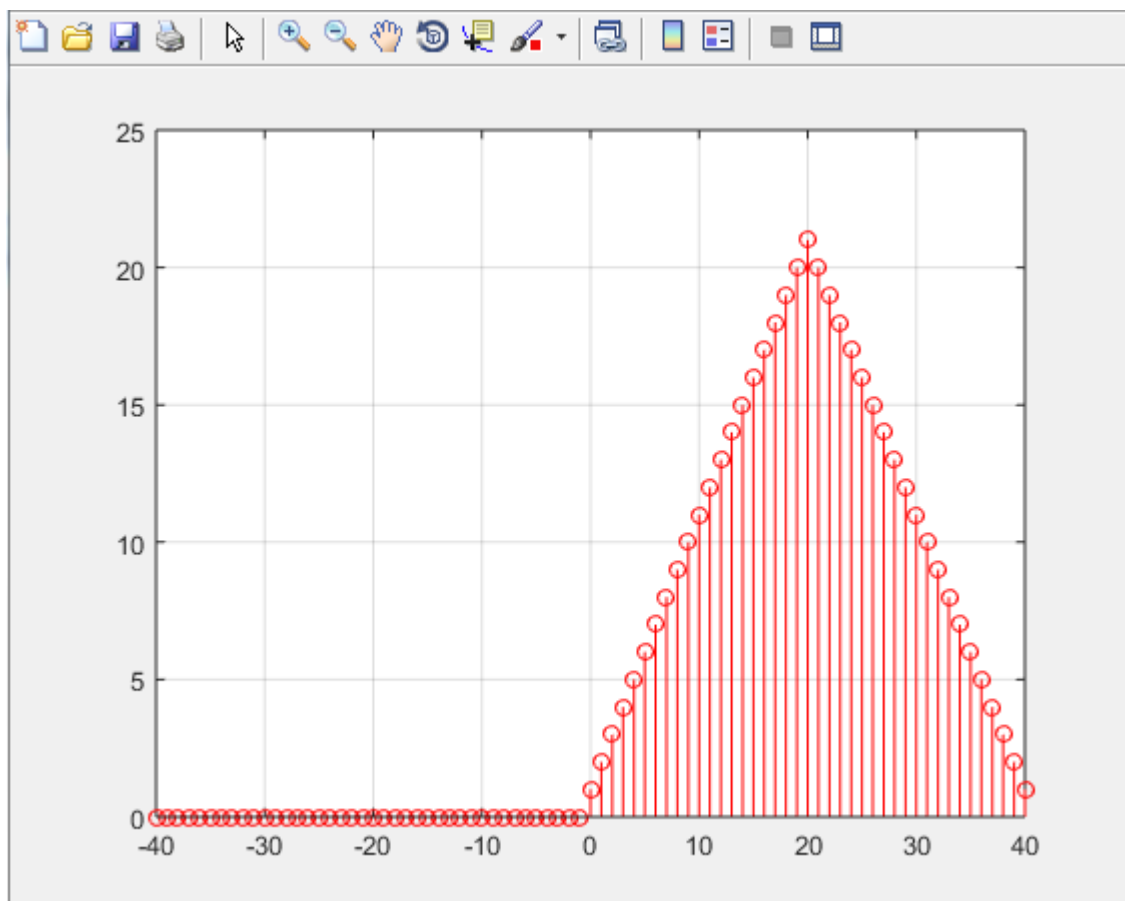
The image shows a MATLAB Editor window with the title bar "Editor - C:\Users\batch1\Desktop\Allen\T1.m". The window contains a script with 22 lines of MATLAB code. The code defines a sampling time Ts, input signal nx, and impulse response nh, then computes their convolution y. It also includes axis labels, a title, and font settings for the plot.

```
1 -   clc
2 -   clear all
3 -   Ts = 0.01;
4 -   nx = [-100:99]';
5 -   nh = nx;
6 -   x = tri(nx*Ts);
7 -   h = tri(nh*Ts);
8 -   ny = [nx(1) + nx(1):nx(end) + nh(end)]';
9 -   y = Ts*conv(x,h);
10 -  p = plot((ny*Ts),y,'k');
11 -  set(p,'linewidth',2);
12 -  grid on;
13 -  xlabel('Time t(s)');
14 -  ylabel('Y');
15 -  title('Convolution');
16 -  set(gca);
17
18  %xlabel('Time, {\it t}(s)','FontName','Times','FontSize',18);
19  %ylabel('Y ({\it t})','FontName','Times','FontSize',18);
20  %title('Convolution','FontName','Times','FontSize',12);
21  %set(gca,'FontName','Times','FontSize',14);
22
```



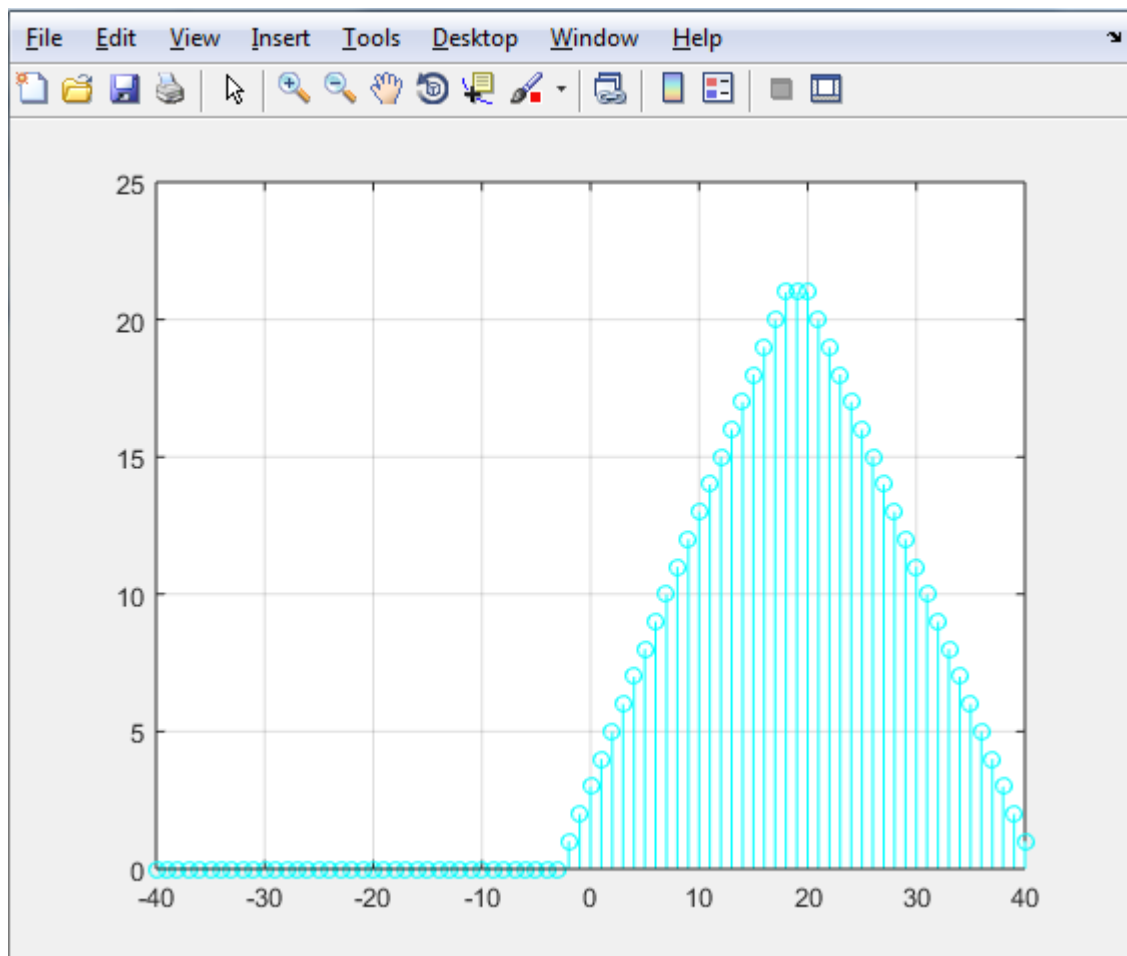
2a.

```
Editor - C:\Users\batch1\Desktop\Allen\T3.m
impND.m x rectD.m x T3.m x T4.m x T5.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = usD(n);
5 -   r2 = usD(n);
6 -   y = conv(r2,r1);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'r');
9 -   grid on;
```



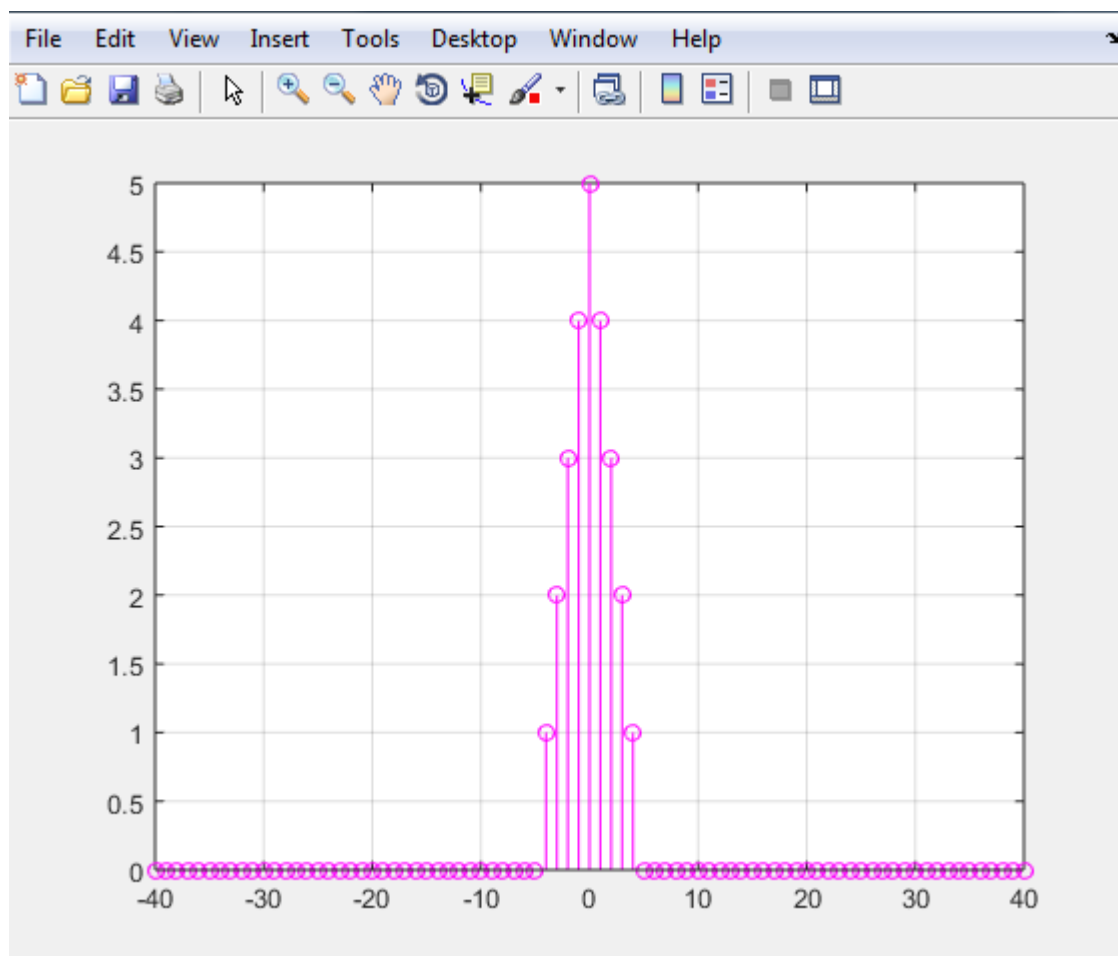
2b.

```
Editor - C:\Users\batch1\Desktop\Allen\T4.m
impND.m x rectD.m x T3.m x T4.m x T5.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   u1 = usD(n);
5 -   u2 = usD(n+2);
6 -   y = conv(u1,u2);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'c');
9 -   grid on;
```



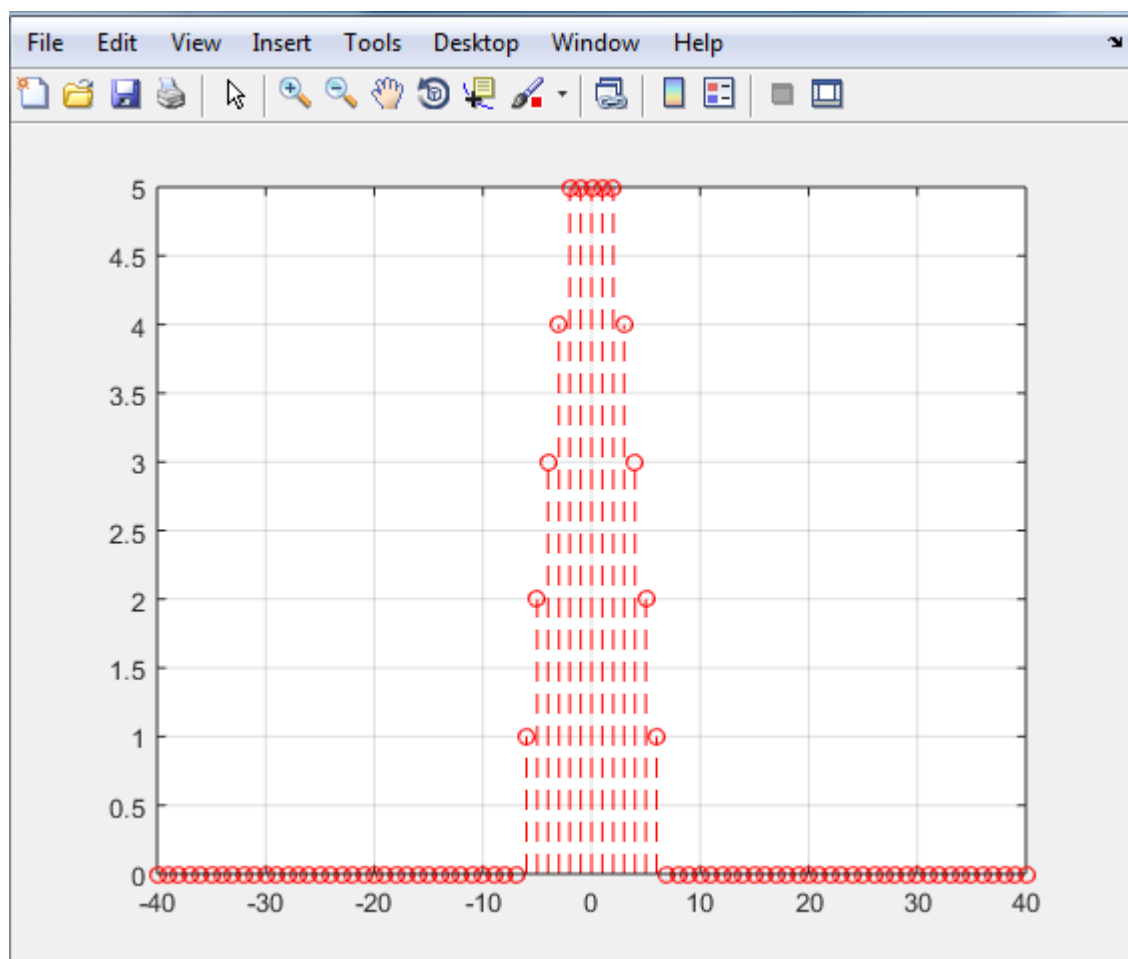
2c.

```
Editor - C:\Users\batch1\Desktop\Allen\T5.m
impND.m x rectD.m x T3.m x T4.m x T5.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = rectD(2,n);
5 -   r2 = rectD(2,n);
6 -   y = conv(r1,r2);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'m');
9 -   grid on;
```



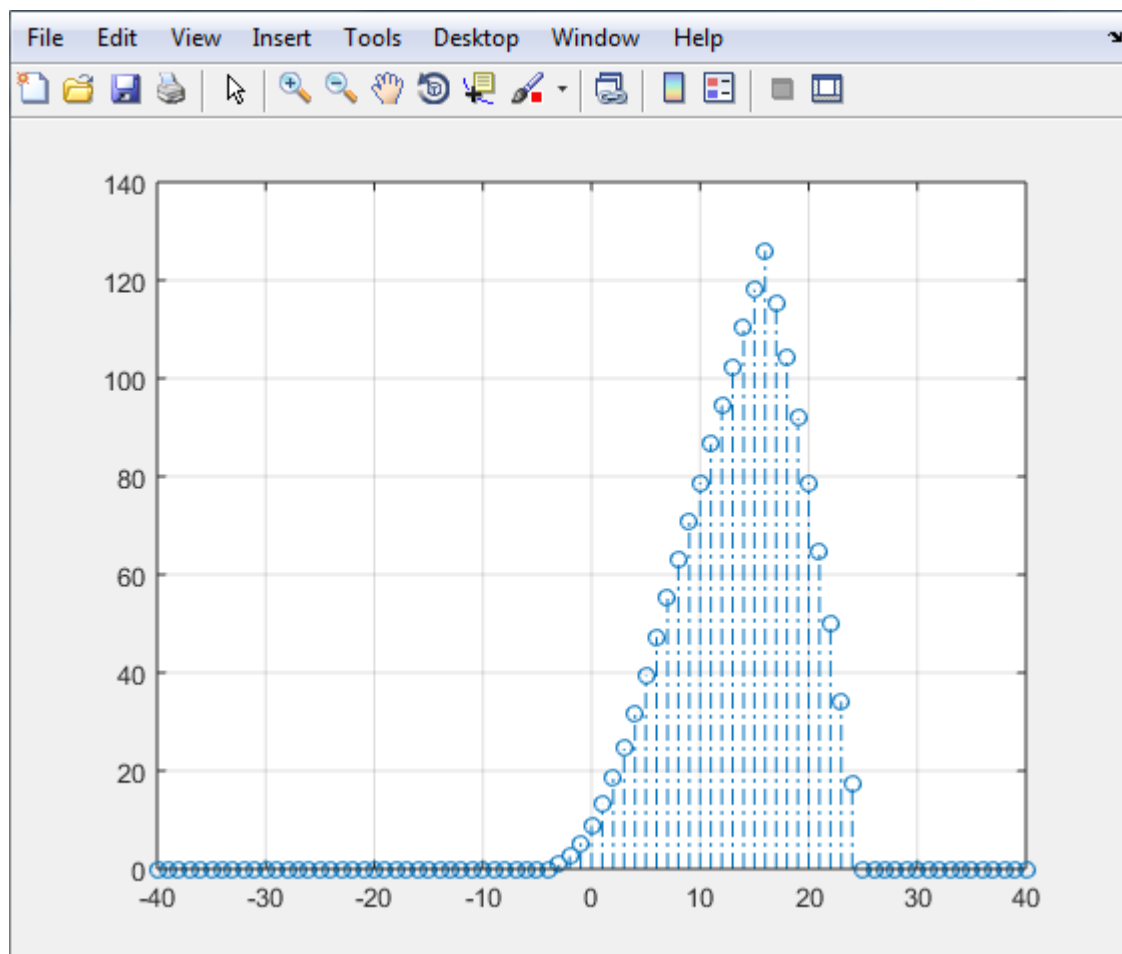
2d.

```
Editor - C:\Users\batch1\Desktop\Allen\T6.m
impND.m x rectD.m x T3.m x T4.m x T5.m x T6.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = rectD(2,n);
5 -   r2 = rectD(4,n);
6 -   y = conv(r1,r2);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'r','--');
9 -   grid on;
```



2e.

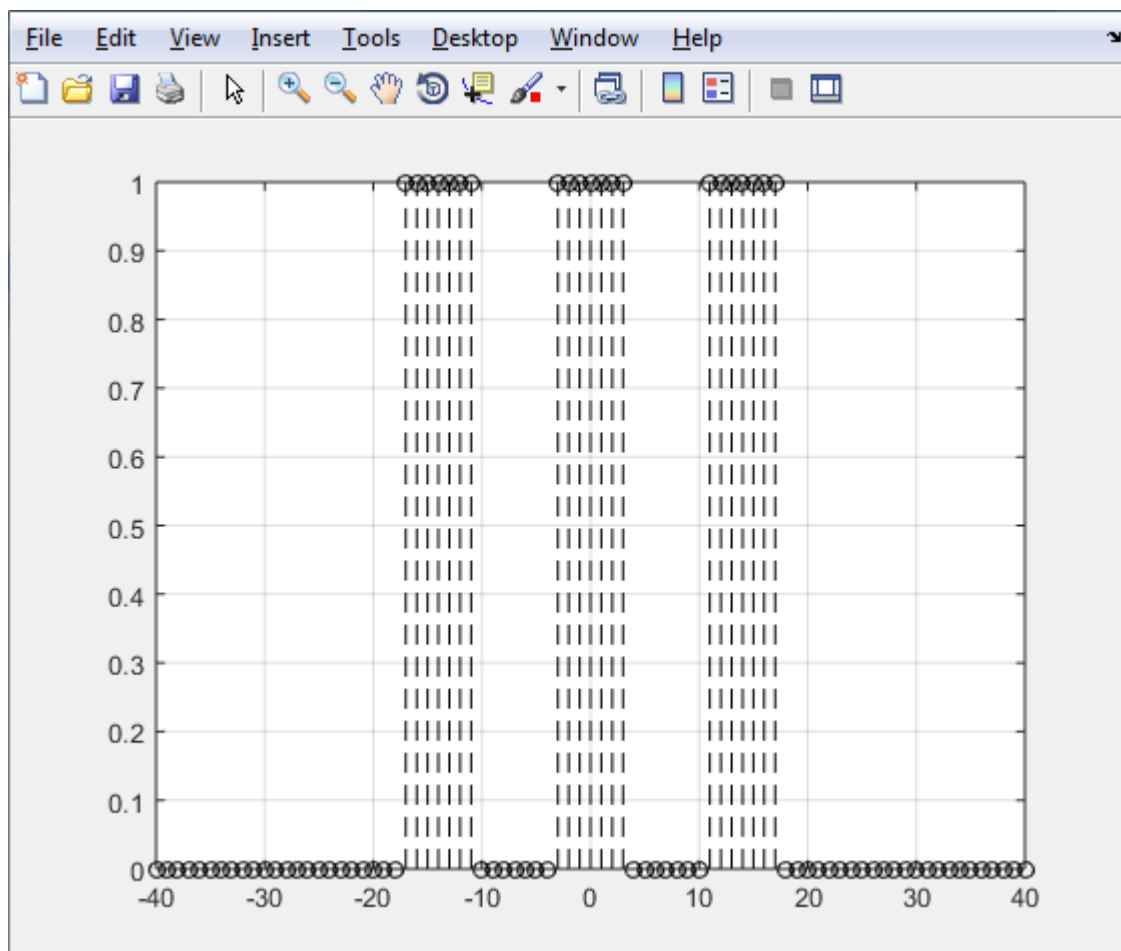
```
Editor - C:\Users\batch1\Desktop\Allen\T7.m
impND.m x rectD.m x T3.m x T4.m x T5.m x T6.m x T7.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = (7/8).*n.*usD(n);
5 -   r2 = rectD(4,n);
6 -   y = conv(r1,r2);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'-');
9 -   grid on;
```





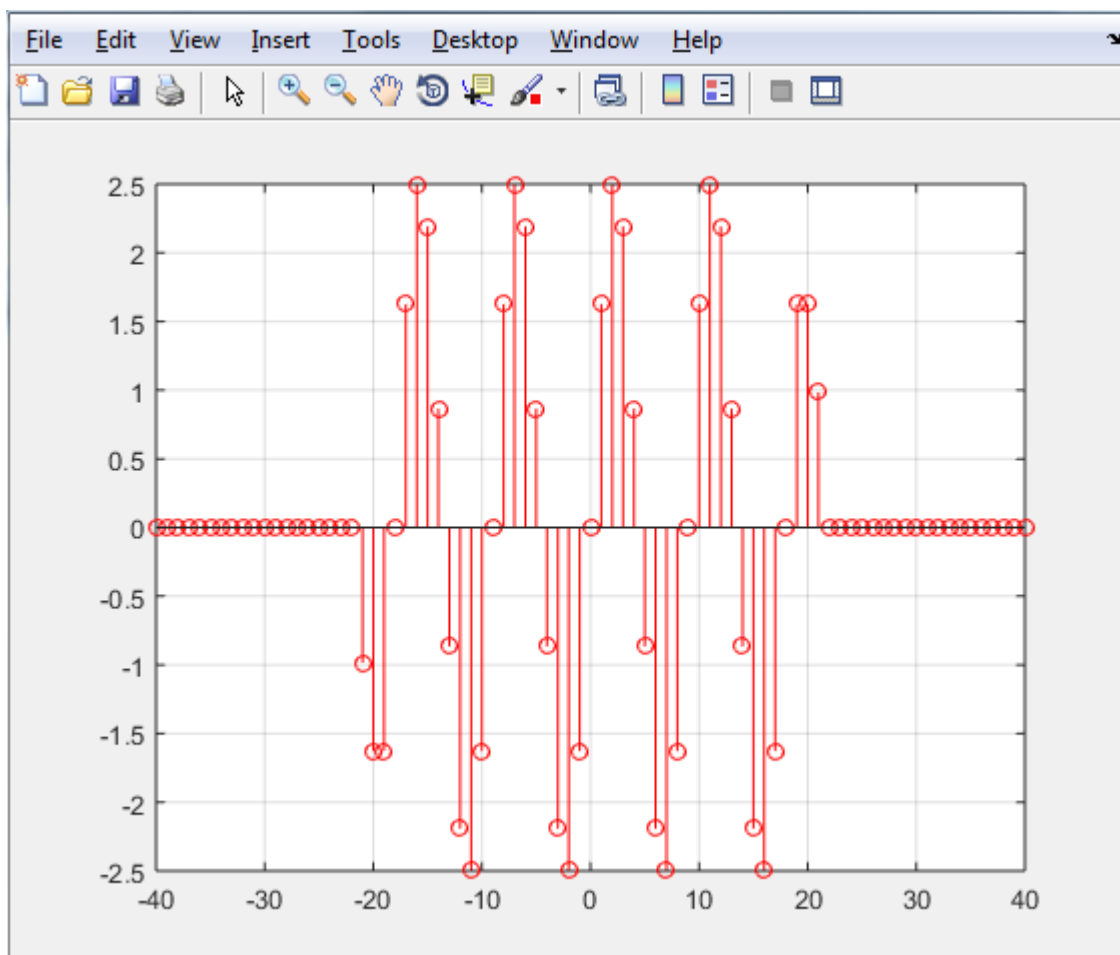
2f.

```
Editor - C:\Users\batch1\Desktop\Allen\T8.m
impND.m x rectD.m x T7.m x T8.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = impND(14,n);
5 -   r2 = rectD(3,n);
6 -   y = conv(r2,r1);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'k','--');
9 -   grid on;
```



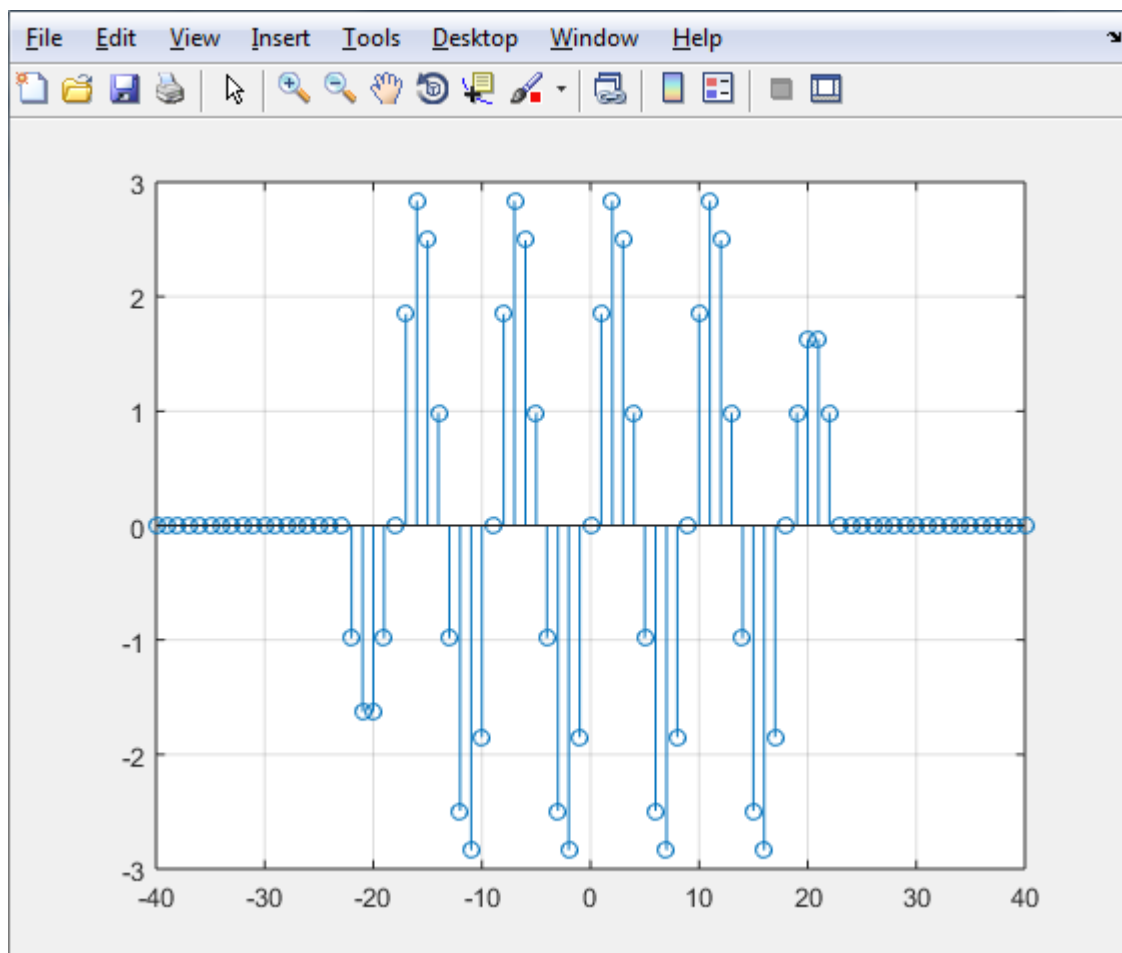
2g.

```
Editor - C:\Users\batch1\Desktop\Allen\T8.m
impND.m x rectD.m x T7.m x T8.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = sin(2*pi*n/9);
5 -   r2 = rectD(1,n);
6 -   y = conv(r2,r1);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'r');
9 -   grid on;
```



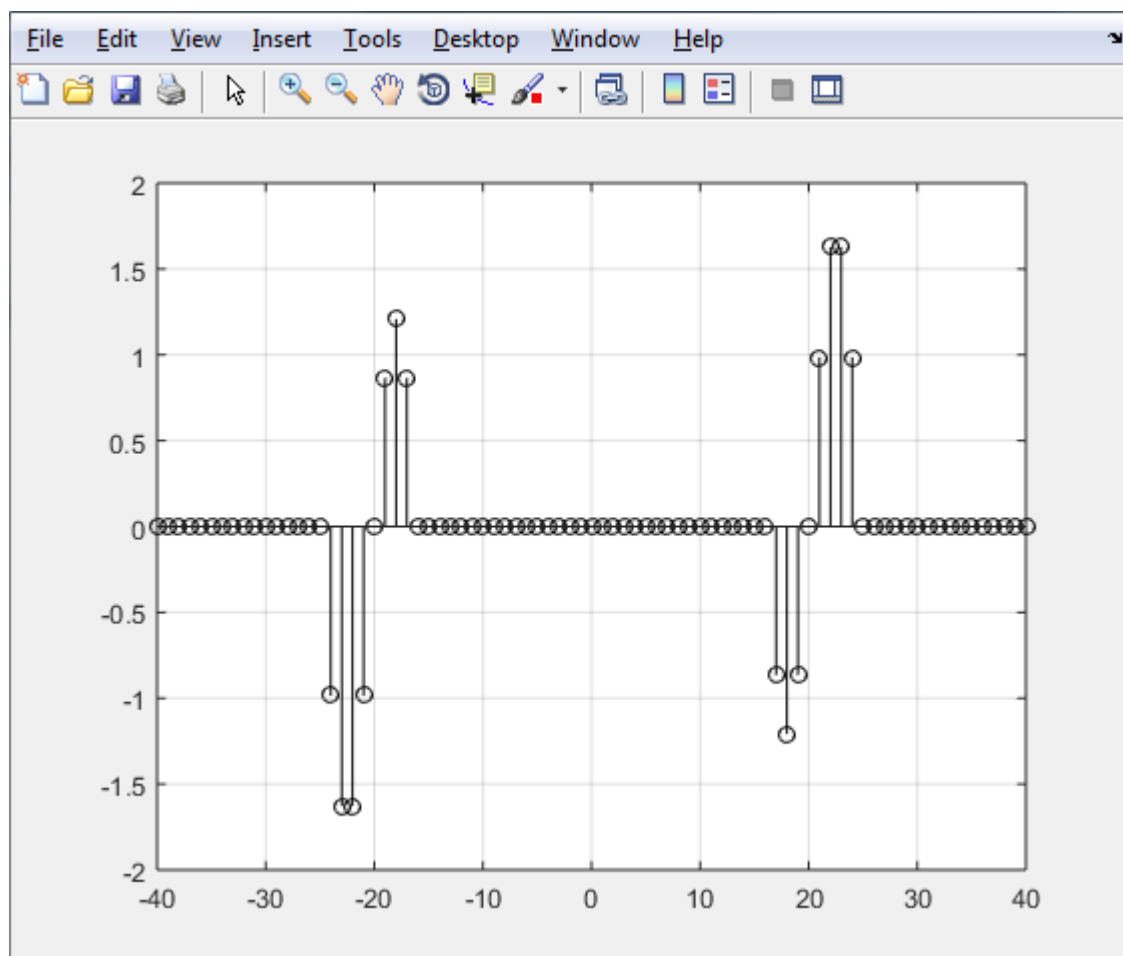
2h.

```
Editor - C:\Users\batch1\Desktop\Allen\T9.m
impND.m x rectD.m x T7.m x T8.m x T9.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = sin(2*pi*n/9);
5 -   r2 = rectD(2,n);
6 -   y = conv(r2,r1);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'o');
9 -   grid on;
```



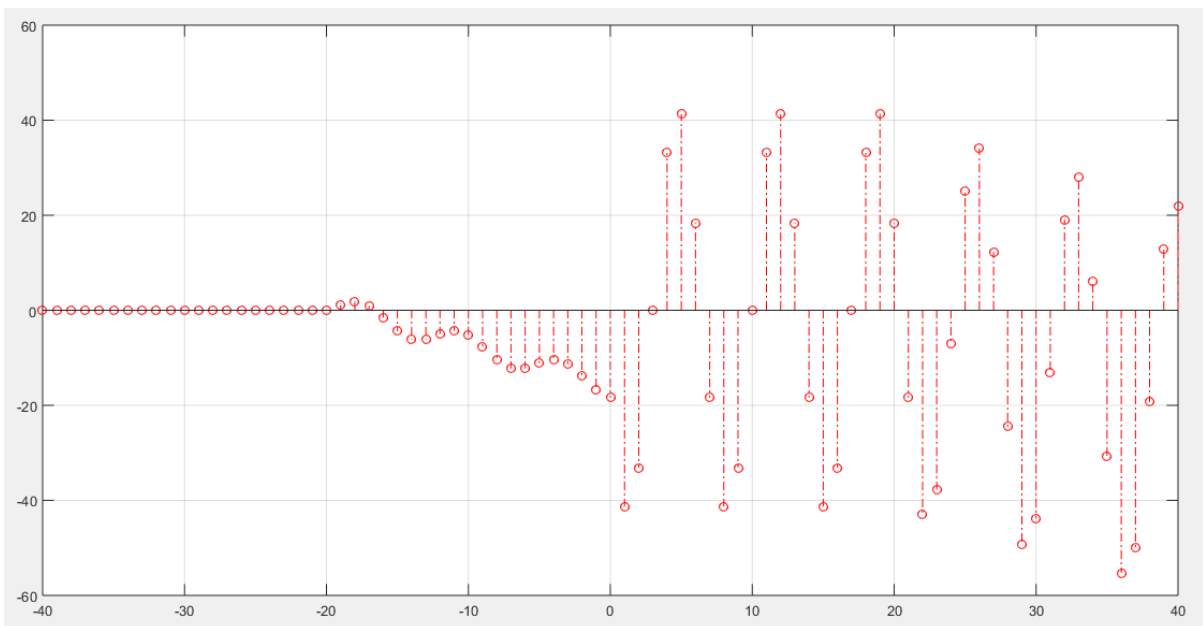
2i.

```
Editor - C:\Users\batch1\Desktop\Allen\T10.m
impND.m x rectD.m x T7.m x T8.m x T9.m x T10.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = sin(2*pi*n/9);
5 -   r2 = rectD(4,n);
6 -   y = conv(r2,r1);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'k');
9 -   grid on;
```



2j.

```
Editor - C:\Users\batch1\Desktop\Allen\T10.m
impND.m x rectD.m x T10.m x +
1 -   clc
2 -   clear all
3 -   n = -20:1:20;
4 -   r1 = (7/8).*n.*usD(n);
5 -   r2 = 2*cos(2*pi*n/7);
6 -   y = conv(r2,r1);
7 -   ny = (n(1)+n(1))+(0:(length(n)+length(n)-2));
8 -   stem(ny,y,'r','-.');
9 -   grid on;
```



Observations:

a] Triangle obtained after convolution. '0' at all negative values

Increasing:  $0 \rightarrow 20$

Decreasing:  $20 \rightarrow 40$

b] Graph exists for some negative values

Increasing:  $-2 \rightarrow 19$

Decreasing:  $19 \rightarrow 40$

c] On convoluting 2 rectangular signals of same width, we get a triangular graph from -5 to 5 range and '0' otherwise.

d] Evaluating 2 different width range rectangular signals, trapezoid shaped graph is obtained and will have multiple peak points

e] Increasing:  $0 \rightarrow 15$

Decreasing:  $15 \rightarrow 20$

Zero: Otherwise

f] Graph exists for 3 rectangle signals for 3 different time intervals, otherwise zero.

g] Signal oscillates as a sinusoidal signal for  $-2.5$  to  $2.5$ , and the graph exists for  $-20$  to  $20$ , zero otherwise. Graph limits are given by the 'n' values given at the beginning of the program.

h] Oscillation:  $-3 \rightarrow 3$   
Range:  $-25 \rightarrow 25$   
zero for all the other given values

i] As the width of the rectangle increases, the oscillation reduces and the graph expands  
Range:  $-30 \rightarrow 30$

j] Unit step = 0, from  $-20$  to 0, so the graph goes in negative y-axis and from '0' it oscillates as a sinusoidal signal since cos is present along with ramp signal.

x ——— x — x — x ——— x