

$$\text{dist}[0] = \sum \left\{ \begin{array}{l} \text{contribution from} \\ \text{every nodes} \end{array} \right\}$$

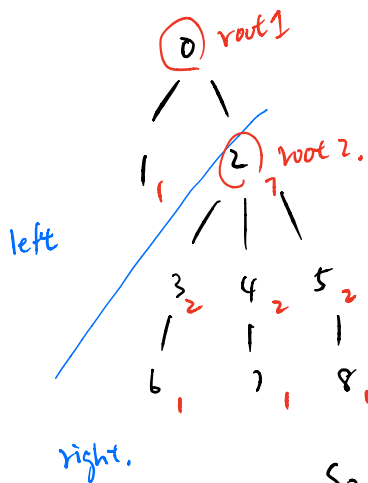
contribution from node i

= number of nodes of subtree rooted at i

$$\Rightarrow \text{dist}[0] = 1 + 7 + 2 + 2 + 2 + 1 + 1 + 1 = 17$$

Use this relationship we can derive $\text{dist}[i]$ for every i .

But time complexity is $O(n^2)$. improvement ↓



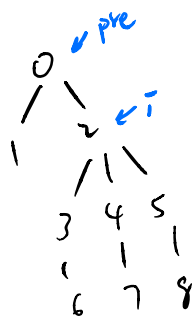
When root comes from root 1 to root 2.

every node in the right is 1 step closer to root 2 than to root 1.

every node in the left is 1 step farther to root 2 than to root 1.

So if we know $\text{dist}[0]$, we can derive $\text{dist}[1]$:

$$\text{dist}[1] = \text{dist}[0] - \text{number of nodes in right} + \text{number of nodes in left.}$$



$$\text{dist}[i] = \text{dist}[\text{pre}] - \text{count}[i] + (N - \text{count}[i])$$